Machine Learning for Transient Detection with Radio Arrays
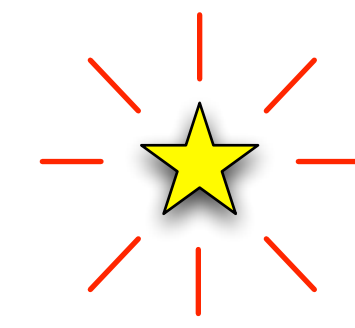
Summary: We investigate the use of machine learning and data analysis methods in support of radio astronomy investigations. In this work, we focus on a data-driven approach to detecting anomalous transient pulses, by modeling actual observations and estimating how unusual a new observation is. For radio arrays such as the VLBA, this approach allows us to distinguish remote radio sources (which appear in all antennas) from local radio frequency interference (RFI, which appears in only a single antenna). Ultimately, these techniques could be useful for other arrays with long baselines, such as the Square Kilometer Array (SKA).
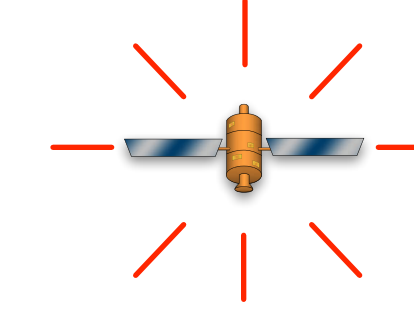
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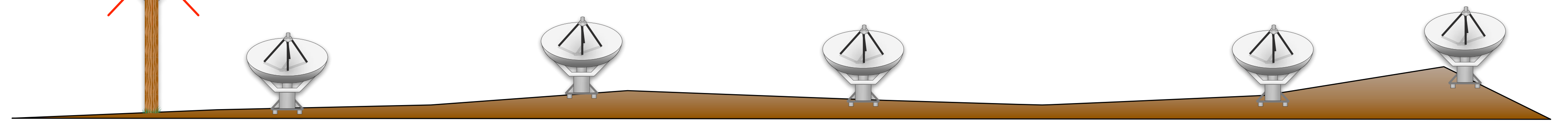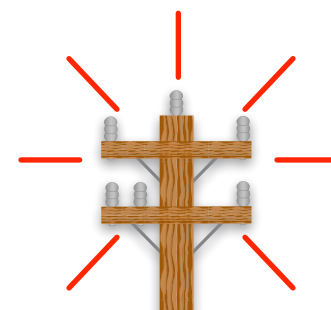Contact: david.r.thompson@jpl.nasa.gov

Remote radio source

Satellite RFI source

Local RFI source

Goal: Detect remote transient radio sources, while excluding local radio-frequency interference (RFI).

Solutions

Key insight: RFI manifests locally (at a single antenna), while remote radio sources are observed by all antennas.
Compute a detection statistic and if it exceeds θ, flag a detection.

A = Number of streams (antennas)
DM = Dispersion measure
$S_a(DM)$ = Strength of response for stream a de-dispersed using DM DM

Note: equations assume antenna streams are sorted in ascending strength.

State of the art:
Average all streams (incoherent addition) and take the max over all DMs.

$$\max_{DM} \frac{1}{A} \sum_{a=1}^{A} S_a(DM)$$

1) Trimmed (Robust) Estimator:
Exclude max stream, average the rest, and take the max over all DMs.

$$\max_{DM} \frac{1}{A} \sum_{a=1}^{A-1} S_a(DM)$$

2) Ensemble CDF Estimate:
Model prior observations, per stream, and compute the probability that the new observation is stronger than any randomly drawn X from all observations, then take the max over all DMs.

$$\max_{DM} \frac{1}{A} \sum_{a=1}^{A} P(X \le S_a(DM))$$

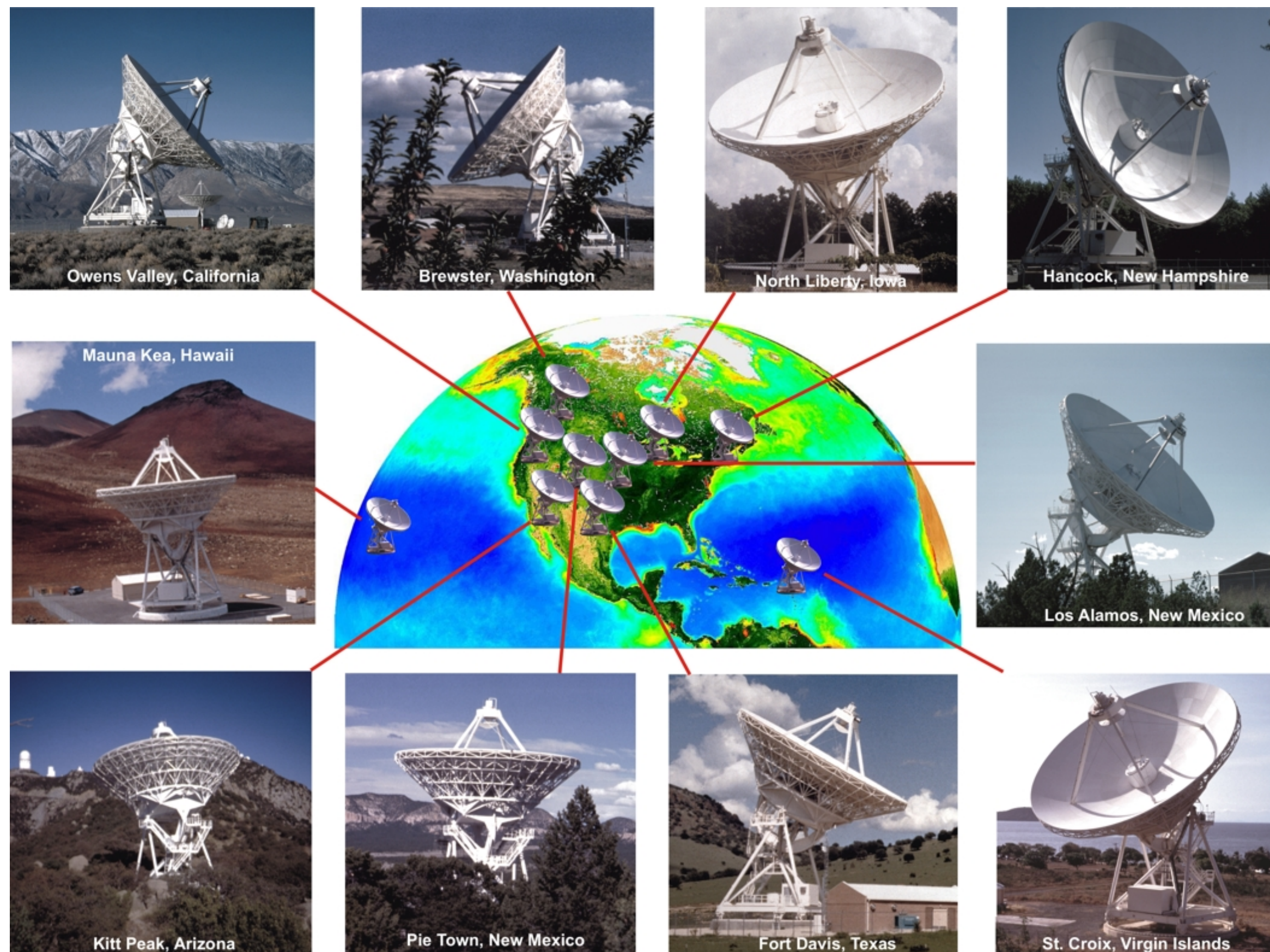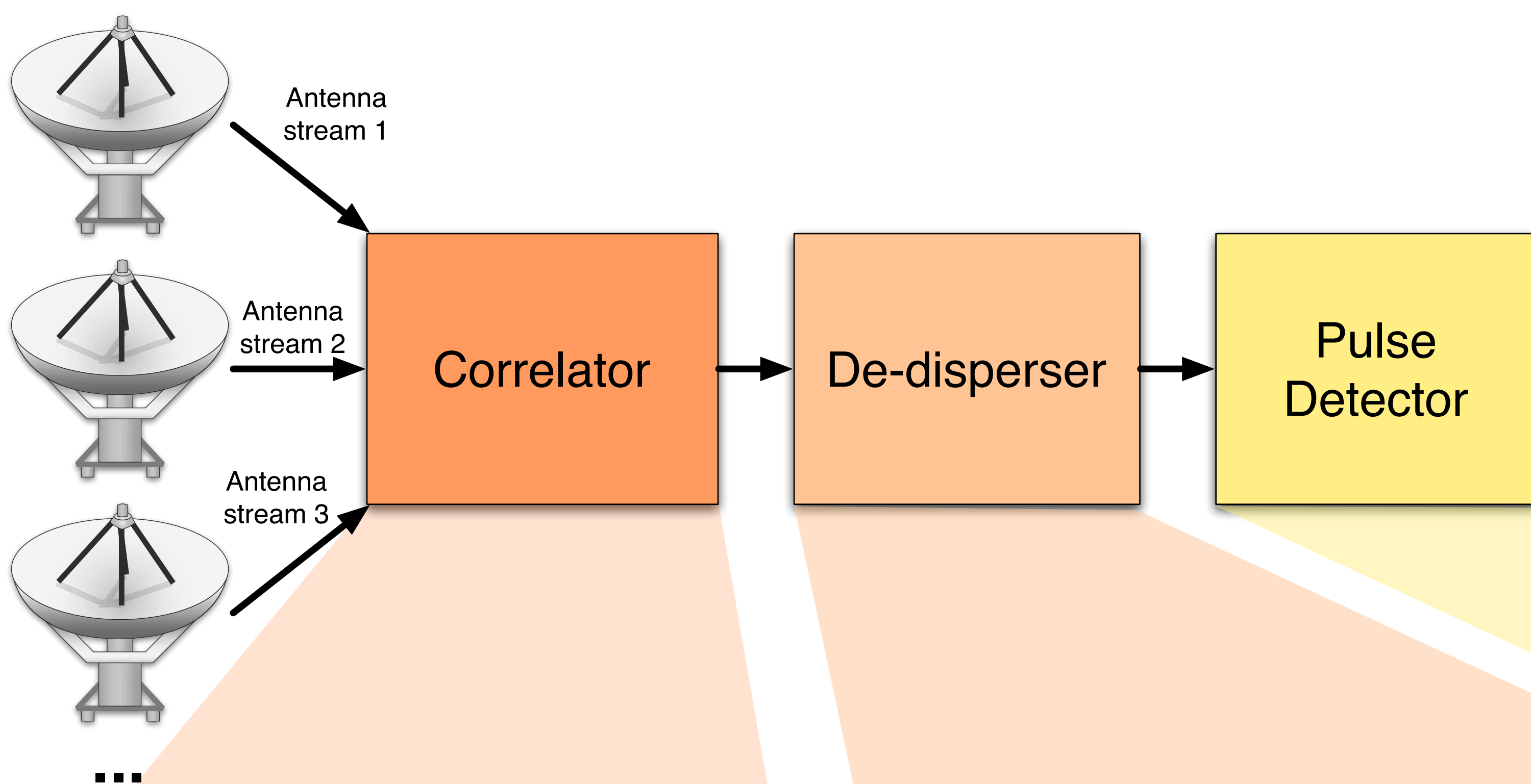## Very Long Baseline Array (VLBA)
10 radio antennas

Owens Valley, California; Brewster, Washington; North Liberty, Iowa; Hancock, New Hampshire; Mauna Kea, Hawaii; Los Alamos, New Mexico; Kitt Peak, Arizona; Pie Town, New Mexico; Fort Davis, Texas; St. Croix, Virgin Islands

Image courtesy of NRAO/AUI and Earth image courtesy of the SeaWiFS Project NASA/GSFC and ORBIMAGE.

VLBA Data Processing Path

Antenna stream 1
Antenna stream 2
Antenna stream 3
...
Correlator → De-disperser → Pulse Detector
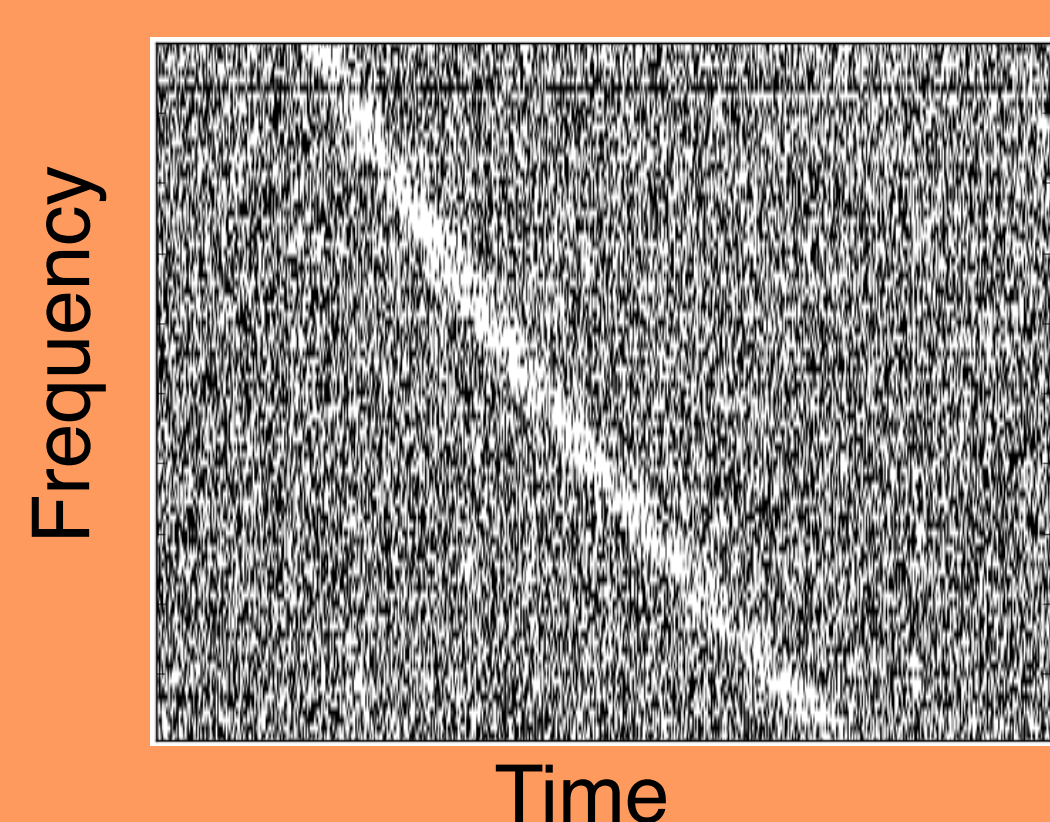
Correlator Output

The correlator computes all pairwise correlations. We use only the auto-correlations of each stream with itself, yielding the radio-frequency power output of each antenna as a function of time and frequency.

Example result for one antenna:
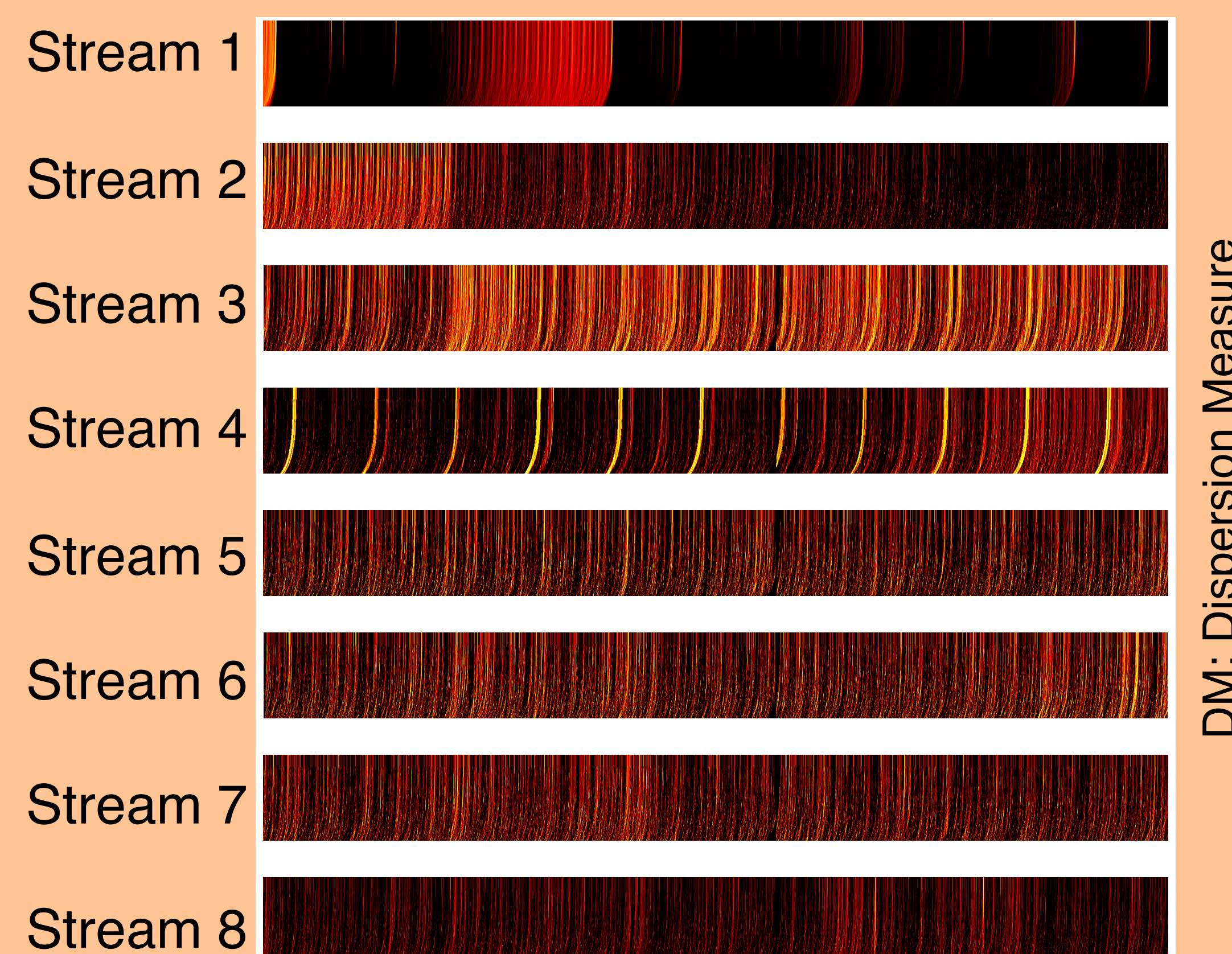Pulse is dispersed in time due to interstellar medium.

Frequency / Time

Example data from Parkes Observatory (Edwards et al., 2001)

De-dispersion Output

De-dispersion reverses cosmic dispersion effects via an approximation to a matched filter, for a specified DM (dispersion measure). Since the true DM is not known, we search over many DMs, yielding a time-DM data set for each stream.

Intensity of de-dispersed data, DM 0 to 400

Stream 1
Stream 2
Stream 3
Stream 4
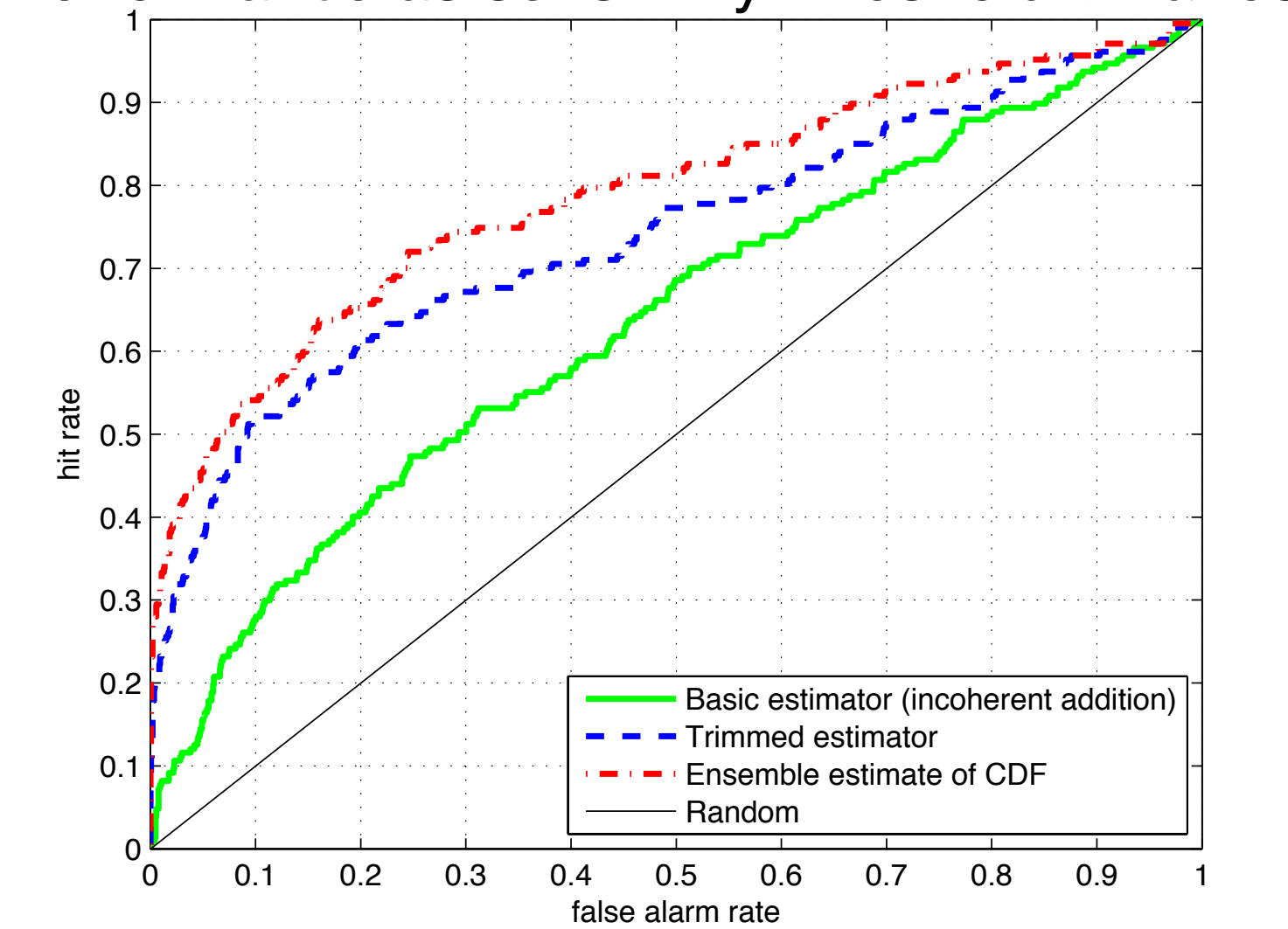Stream 5
Stream 6
Stream 7
Stream 8

DM: Dispersion Measure

Time (2 seconds total)
Example VLBA data, from 8 stations

Pulse Detector Results

We injected 400 synthetic pulses at random intervals in ~160 seconds of otherwise raw VLBA data (using 8 antennas). This data includes typical VLBA noise, RFI, and other confounding effects. Each synthetic pulse had a randomly chosen SNR from 5 to 10 and a true DM from 0 to 400. We then split the data into 0.1-second windows and analyzed each one with the three methods above.

Performance as sensitivity threshold θ varies

hit rate / false alarm rate

Basic estimator (incoherent addition)
Trimmed estimator
Ensemble estimate of CDF
Random

Conclusions: The best performer was the ensemble CDF estimator, which uses a data-driven model of signal strength to detect pulses. It achieved a higher detection rate with fewer false detections than the standard incoherent summing approach or a basic robust estimator.